

HW p. 674

4)

(a) $\widehat{\text{price}} = -3.11686 + 94.4539(\text{size})$

For every 1 square foot, the price increases by \$94.45

(b) IGNORE

(c) std. dev. of residuals = on average, the points are \$53,790 away from the LSR line

(d) $SE_b = 2.393$

(e) IGNORE

6) (a)

Conditions:

- | | |
|---------------------|---|
| 1) SRS | 1) stated SRS |
| 2) Linear data | 2) scatterplot is roughly linear w/ no outliers |
| 3) Independence | 3) each home can be assumed independent of the others |
| 4) Normal residuals | 4) histogram of residuals is normally shaped |
| 5) Equal variance | 5) residual plot shows no change in spread of residuals |

Conditions met --> t-distribution --> Lin Reg T-interval

$$b \pm (t^*)(SE_b) = (94.4539) \pm (1.962)(2.393)$$

$$= (89.76, 99.15) \quad df = 1062$$

We are 95% confident that for every increase of 1 square foot of the home, the price goes up between \$89.76 and \$99.15.

18) (a) $H_0: \beta_1 = 0$

$$H_a: \beta_1 \neq 0$$

(b) **Conditions:**

- | | |
|---------------------|--|
| 1) SRS | 1) assumed representative |
| 2) Linear data | 2) scatterplot is roughly linear w/ no outliers |
| 3) Independence | 3) each student can be assumed independent of the others |
| 4) Normal residuals | 4) histogram of residuals is normally shaped |
| 5) Equal variance | 5) residual plot shows no change in spread of residuals |

Conditions met --> t-distribution --> Lin Reg T-Test

(c) $t = \frac{b}{SE_b} = \frac{0.675075}{0.0568} = 11.9$ (or 11.885)

$$2 * P(t > 11.9 \mid df = 160) = 8.5968 \times 10^{-24}$$

- We reject H_0 b/c p-value of $8.5968 \times 10^{-24} < \alpha = 0.05$.
- We have sufficient evidence that the slope of the population regression line is not equal to 0.
- Thus as verbal scores increase, math scores change.

There is evidence of an association between verbal and math scores.

35) (a) $H_0: \beta_1 = 0$

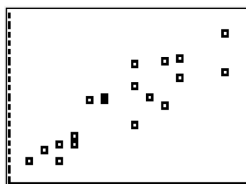
$$H_a: \beta_1 \neq 0$$

(b) **Conditions: (see plots on next page)**

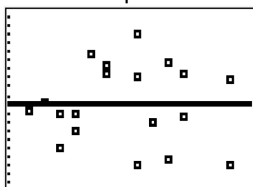
- | | |
|---------------------|---|
| 1) SRS | 1) assumed representative |
| 2) Linear data | 2) scatterplot is roughly linear w/ no outliers |
| 3) Independence | 3) each person can be assumed independent of the others |
| 4) Normal residuals | 4) normal prob. plot of residuals is linear |
| 5) Equal variance | 5) residual plot shows no change in spread of residuals |

Conditions met --> t-distribution --> Lin Reg T-Test

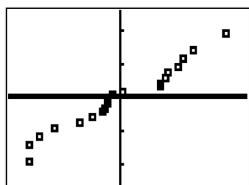
Scatterplot:



Residual plot



Normal Probability plot:



Calculator output:

```
LinRegTTest
y=a+bx
b≠0 and p≠0
t=8.24217884
P=1.5984956E-7
df=18
```

$$t = \frac{2.184}{0.265} = 8.2422$$

$$8.2422 = \frac{2.184}{SE_b}$$

$$2 * P(t > 8.2422 | df = 18) = 1.6 \times 10^{-7}$$

- We reject H_0 b/c p-value of $1.6 \times 10^{-7} < \alpha = 0.05$.
- We have sufficient evidence that the slope of the population regression line is not equal to 0.
- Thus as waist size increases, body fat % changes.

There is evidence of an association between waist size and body fat %.

(b) conditions met --> t distribution --> LinReg t-Interval

$$b \pm (t^*)(SE_b) = (2.184) \pm (2.101)(0.265) = (1.627, 2.741)$$

We are 95% confident that for every increase of 1 inch of waist size, the body fat % goes up btw 1.627% and 2.741%.